

_____ . . .

9 22 _____ 2009 .

.

« »

« () »

_____

24 2 _____ 2009 .

, 2009

:

• „ • • „

;

• „ • • „

;

• „

.

-

24 « 2 » _____ 2009 .

_____ . . .

-

_____ « _____ » _____ 2009 .

_____ . . .

1	5
1.1	6
1.2	6
1.3	7
1.4	11
1.5	22
2	24
2.1	27
2.2	27
3	30
3.1	32
3.2	32
3.3	-
4	37
4.1	45
4.2	48
4.3	48
4.4	51
4.5	53
4.6.	54
4.7	55
4.8	57
4.9	60
4.10	62
5	64
5.1	67
5.2	67
5.3	71
5.4	82
5.5	86
	87

1

1.1

1.1 –

				μ ,	h ,
			O		
	0,855	0,145	0	114	44000
	0,870	0,126	0,004	170	42000

1.1, h μ .

1) :

$$L_o = \frac{1}{0,21} \left(\frac{C}{12} + \frac{H}{4} + \frac{O}{32} \right);$$

) 1

$$l_o = \frac{1}{0,23} \left(\frac{8}{3}C + 8H - O \right). \quad (1.1)$$

:

$$L_o = \frac{l_o}{\mu}, \quad (1.2)$$

$$\mu = 28,97 \quad / \quad - \quad .$$

1.2 -

1.2.1 -

$$: = 1,013 \quad ; \quad = 288 \quad .$$

1.2.2 -

1.2.3 ε -

1.2)
) 1.3 .

1.2 - ε

	ε	
	()	()
66...70	6,0...6,7	6,5...7,2
70...76	6,5...7,0	7,0...7,5
76...86	6,8...7,9	7,3...8,4
86...98	8,0...9,5	8,5...10,0

_____ . -

1.3 –

ε

		ε
	,	14...17
		20...25
		14...16
		16...20 (25) 17...21

1.2.4

α

1.4.

1.4 –

α

		α
		0,85...0,95
	(-204, -12)	1,5...1,7
	,	1,2...1,5
		1,1...1,15
		1,15...1,2
		1,2...1,25

1.2.5

1.5. , -

1.5 –

		,
		20...45
		5...20
		20...40

1.2.6

:

$$P_r = (1,1...1,2)P_o, \tag{1.3}$$

T_r

1.6.

1.6 –

T_r

	T_r, K
	900...1100
	700...900

1.2.7

n_1

$n_1,$

n_1

$n_1 = 1,34...1,37$ (

$n_1 = 1,37...1,39$ (

n_1

$n_1.$

1.2.8

n_2

$n_2 = 1,23...1,28;$

$n_2 = 1,18...1,23.$

1.2.9

ξ

1.7.

1.2.10

λ

1.8.

1.7 –

ξ

		ξ
		0,85...0,9
		0,75...0,8
		0,7...0,74
		0,72...0,78

1.8 –

λ

		λ
		1.8...2,5
		1.6...1.8
		1.6...1,8
		1.4...1,6

1.2.11

τ

($\tau = 4$).

1.2.12

S/d

1.9

1.9 –

S/d

	\cdot^{-1}	S/d
	3000	1,1...1,0
	3000...3600	0,95...0,85
	3600...5800	0,85...0,75
	2100...2800	1.0...1,08
	2800	0,8...1,0

1.2.13

φ

1.10.

1.2.14

1.10 –

φ

		φ
		0,85...0,97
		0,92...0,98
		0,98...0,95

1.2.15

1.2.16

1.11

1.11 –

-966	4200	10	46	236	46	10	236
-407	4500	21	55	256	57	19	256
" "	4000	24	64	268	50	22	252
" "	4400	24	64	268	50	22	252
-111	4200	16	64	260	52	29	261
-51	2800	9	51	240	47	13	240
3 -130	3200	21	75	276	57	39	276
Opel	5600	46	90	316	70	30	280
-236-238	2100	20	56	256	56	20	256
-412	5800	30	70	280	70	30	280
-2106	5600	12	40	232	42	10	232

1.3

1.3.1

(), / :

)

$$M_1 = \alpha L_o + \frac{1}{\mu_r}; \quad (1.4)$$

)

$$M_1 = \alpha L_o. \quad (1.5)$$

1.3.2

(), / :

)

($\alpha \geq 1$)

$$M_2 = \alpha L_o + \frac{H}{4} + \frac{O}{32}; \quad (1.6)$$

)

($\alpha < 1$)

$$M_2 = \frac{C}{12} + \frac{H}{2} + 0,79\alpha L_o. \quad (1.7)$$

1.3.3

)

,

$$P_a = P_o - (\beta^2 + \varphi) \frac{W^2}{2} \rho \cdot 10^{-5} \cdot W, \quad (1.8)$$

$\beta^2 + \varphi$ -

, ;

(β^2)

(φ).

$$\beta^2 + \varphi = 2,6...3,2.$$

(3,0...3,2)

W -

$$W = 70...100 / .$$

ρ -

, / ³:

$$\rho = \frac{P_o \cdot 10^5}{R}, \quad (1.9)$$

$$R = 286 / (\cdot) -$$

)

$$\gamma = \frac{+}{r} \cdot \frac{P_r}{\varepsilon P_o - P_r}; \quad (1.10)$$

)

$$T_a = \frac{+ + \gamma T_r}{1 + \gamma}; \quad (1.11)$$

)

$$\eta_v = r_v = \frac{\varepsilon}{\varepsilon - 1} \cdot \frac{P_a}{P_o} \cdot \frac{1}{T_a(1 + \gamma)}. \quad (1.12)$$

1.3.4

:

$$P_c = P_a \varepsilon^{n_1}. \quad (1.13)$$

:

$$T_c = T_a \varepsilon^{n_1 - 1}. \quad (1.14)$$

1.12 -

1.12 -

	$P_c,$	$T_c,$
	8,5...14,5/17	550...750
	34...50	700...900

1.3.5

)

:

$$\mu_o = \frac{M_2}{M_1}. \quad (1.15)$$

)

$$\mu = \frac{M_2 + \gamma M_1}{M_1 + \gamma M_1}. \quad (1.16)$$

) T_z / :

$$U_z'' = \frac{\xi h_a}{\mu(1+\gamma)M_1} + \frac{U_c'}{\mu}; \quad (1.17)$$

)

$$\frac{\xi h}{\mu(1+\gamma)M_1} + \frac{1}{\mu}(U_c' + 8,314\lambda \cdot t_c) + 2,23 \cdot 10^3 \left(\frac{\lambda}{\mu} - 1 \right) = I_z''; \quad (1.18)$$

$h_a -$, / ;
 $U_c', U_z'' -$, / ;
 $t_c -$, ° , ($t_c = T_c - 273$);
 $I_z'' -$ T_z , / .

$$h_a = h - h_a, \quad (1.19)$$

$h_a -$ ($\alpha < 1$, /):

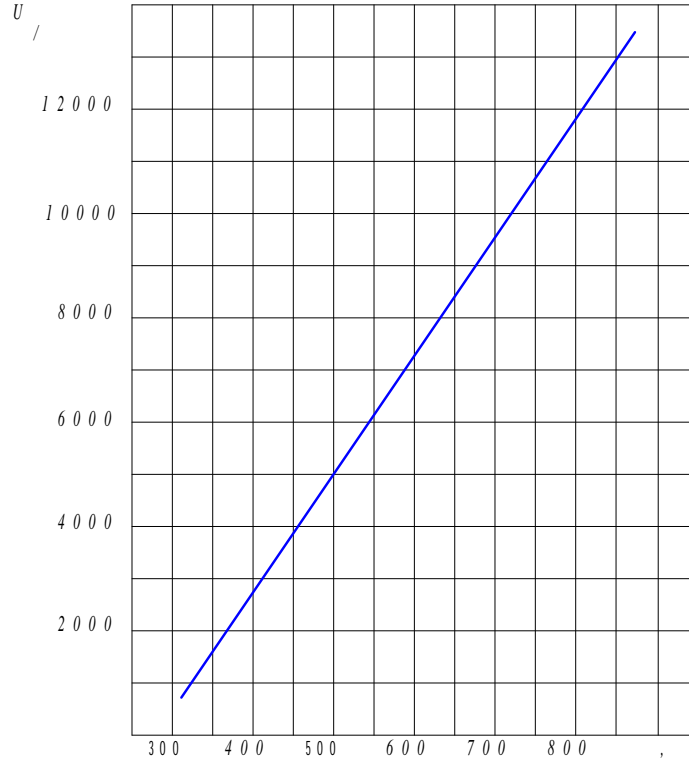
$$h_a = 120000(1 - \alpha)L_o. \quad (1.20)$$

1.17 1.18 ,
 $U(T) I(T)$,
 . 1.1, 1.2.
 . 1.1 U_c' -

1.18,

$$U'_c = \dots \quad 1.17$$

$$U'_c = \dots$$



1.1- U_c T_c

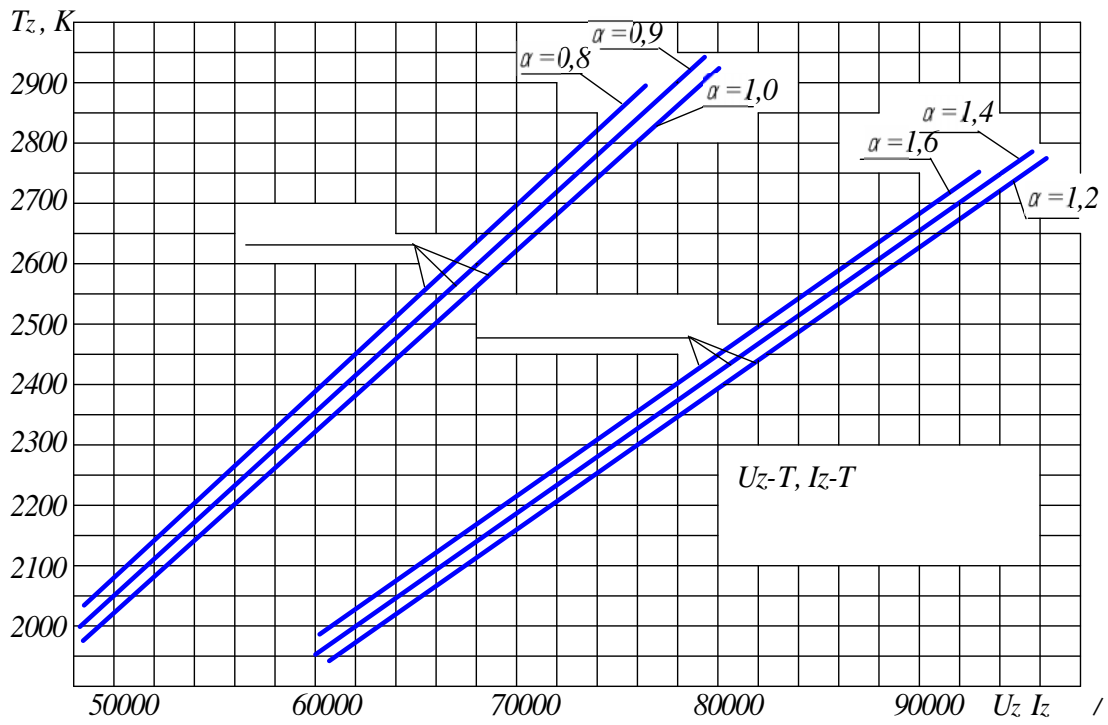
1.2

$$T_z \quad U''_z \quad I''_z \quad -$$

$$U'_c \quad .1.1 \quad U''_z \quad I''_z \quad -$$

$$U''_z \quad I''_z \quad -$$

$$T_z$$



1.2 – T_z U_z

)

$$P_z = \mu P_c \frac{T_z}{T_c}; \quad (1.21)$$

)

$$P_z = \lambda P_c. \quad (1.22)$$

$$P_{z()} = 0,85 z. \quad (1.23)$$

P_z .

$$P_{z(\cdot)} = z \cdot \quad (1.24)$$

1.3.6 ,

)

$$\lambda = \frac{P_z}{P_c}; \quad (1.25)$$

) :

$$\rho = \frac{\mu}{\lambda} \cdot \frac{T_z}{T_c}; \quad (1.26)$$

-

$$\delta = \frac{\varepsilon}{\rho} \quad (1.27)$$

($\rho = 1 \quad \delta = \varepsilon$).

1.13

-

1.13 –

	$T_z,$	$P_z,$	λ	ρ
	2300...2800	30...55(60)	3...4	1
	1800...2300	50...120	1,4...2,5	1,2...1,7

1.3.7

)

$$P = P_z \frac{1}{\delta^{n_2}}, \quad P_z = P_{z(\cdot)}. \quad (1.28)$$

)

$$= z \frac{1}{\delta^{n_2-1}}. \quad (1.29)$$

$$\delta = \varepsilon.$$

1.14

1.14 –

	,	,
	3,5...5,0	1200...1700
	2...4	1000...1400

1.3.8

)

$$' = \frac{1}{\varepsilon - 1} \left\{ \lambda(\rho - 1) + \frac{\lambda\rho}{n_2 - 1} \left[1 - \left(\frac{\rho}{\varepsilon} \right)^{n_2 - 1} \right] - \frac{1}{n_1 - 1} \left[1 - \frac{1}{\varepsilon^{n_1 - 1}} \right] \right\}. \quad (1.30)$$

)

$$P_i = \varphi'. \quad (1.31)$$

φ –

)

$$\eta_i = \frac{100P_i \alpha l_o}{\eta_v \rho_o h}, \quad (1.32)$$

ρ –

, / ³ (-

1.9).
 $\rho = 1,013$, $= 288$.

)

, (·):

$$g_i = \frac{3600}{h \eta}, \quad (1.33)$$

1.3.9

)

$$= - m_p, \quad (1.34)$$

$$m_p - , \quad : \\ m_p = a + bc_n. \quad (1.35)$$

a b c_n -
1.15 1.16.

1.15 – a b

		a	b
	$S/D > 1$	0,5	0,155
	$S/D < 1$	0,4	0,135
c		1,05	0,138
	-	1,05	0,120

1.16 – c_n

		$c_n, /$
		8...11
	$n = 4000^{-1}$	10...12
	$n = 4000...6000^{-1}$	12...14
	$n = 2300^{-1}$	8...10
	$n = 2300...3000^{-1}$	10...12

$$S/d \quad : \quad c_n, \quad , \quad . \\) \\ \eta = \text{---} . \quad (1.36)$$

$$) \\ \eta = \eta \eta . \quad (1.37)$$

)
/(·): ,

$$g = \frac{3600}{h \eta}, \quad (1.38)$$

) ,

$$N = \frac{n}{300\tau}, \quad (1.39)$$

1.3.10

) , () , :

$$V = \text{---} . \quad (1.40)$$

) , , ³:

$$V_h = 10^3 \frac{V}{i}. \quad (1.41)$$

i –

– ;
– ;
– ;
– .
1.17, ,
–
–

) , :

$$D = 10^3 \sqrt{\frac{4}{\pi} \frac{V_h}{S/D}}. \quad (1.42)$$

) , :

$$S = D(S/D). \quad (1.43)$$

		(1)	5,5...12	0,2...0,35
		(2)	8...23	0,3...0,5
		(3)	9...24	0,3...0,65
		, 3	15...35	0,5...0,8
			10...35	0,4...2,25
			15...35	0,9...2,25
			4...10	0,35...0,7

2 , - , 2 . - , 5

$$\lambda = \frac{R}{l} \quad 0,25...0,29 \quad R = \frac{S}{2} -$$

$$l = \frac{R}{\lambda} \cdot \quad V_n, V, N_e -$$

, S D .

(S/D = 0,7...1,0):
) , 2:

$$F = \frac{\pi D^2}{4}; \quad (1.44)$$

) , :

$$V = \frac{\pi D^2 S}{4 \cdot 10^6}; \quad (1.45)$$

) , :

$$N_e = \frac{P_a n V}{30 \tau}; \quad (1.46)$$

) , . :

$$\mu_e = \frac{3 \cdot 10^4 N_e}{\pi n}; \quad (1.47)$$

) , / ∴

$$G_m = N_e g_e; \quad (1.48)$$

) , / :

$$V_n = \frac{S \cdot n}{3 \cdot 10^4}; \quad (1.49)$$

1.49 5%, V_n -

1.4

(a, c, z, b, r) -

(1,2...1,5) -

$$V_h = \frac{\pi D^2}{4} \cdot S;$$

$$V_h = V_a - V_c = V_a - \frac{V_a}{\varepsilon} = V_a \left(1 - \frac{1}{\varepsilon}\right); \quad (1.50)$$

$$V_a = \frac{V_h}{1 - \frac{1}{\varepsilon}}$$

$$P_x = P_a \left(\frac{V_a}{V_x}\right)^{m_1}, \quad (1.51)$$

P_x V_x -

$$V_a/V_x = 1... \varepsilon,$$

$$P_x = P \left(\frac{V}{V_x} \right)^{n_2}, \quad (1.52)$$

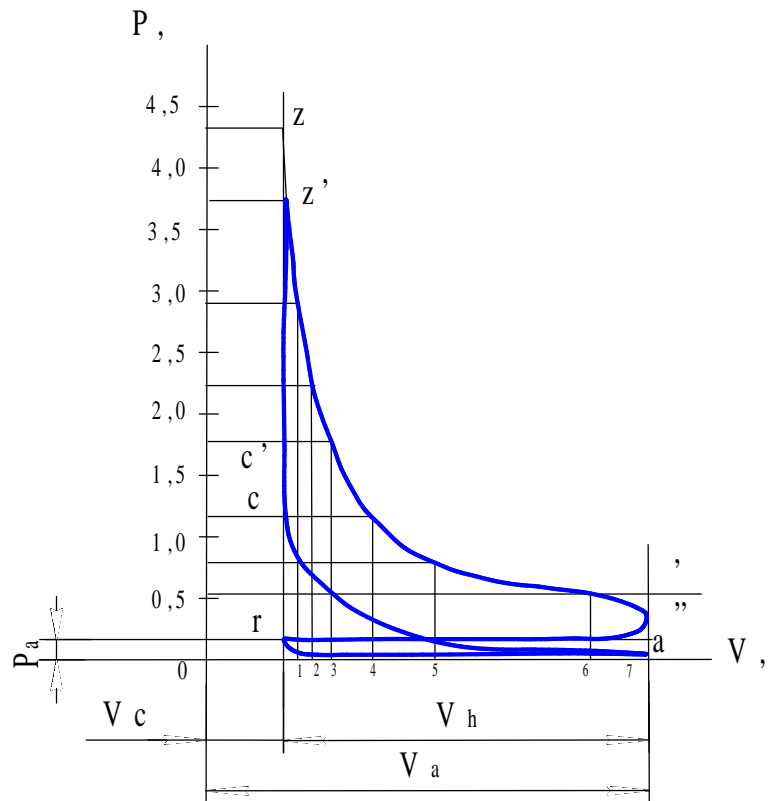
$V/V_x = 1... \varepsilon$ -

$V/V_x = 1... \delta$ -

1.18

1.18

(1.3).



1.3 -

V_a/V_x	$(V_a/V_x)^{n_1}$	$P_x,$	V/V_x	$(V/V_x)^{n_2}$	$P_x,$
V_a/ε		P	$V/\varepsilon(V/\delta)$		$P_x > P$
2		$P_x < P_c$	2		.
3		.	3		.
4		.	4		.
.		.	.		.
.		.	.		.
ε		P_c	$\varepsilon(\delta)$		P

1.5

(. 1.4),

α -
 β_1
 $(\alpha = 15...20^\circ)$,
 β_2 .

$$tng\beta_1 = (1 + tng\alpha)^{n_1} - 1 (\quad);$$

$$tng\beta_2 = (1 + tng\alpha)^{n_2} - 1 (\quad).$$

$\beta_1 \quad \beta_2$.



) , z (-

$$P'_i = \frac{f(\underline{z})}{\underline{z}} m_p,$$

$f(\underline{z}) - P'$, P'_i , 2...3%.

c'

$$P''_c = (1,15 \dots 1,25) P_i.$$

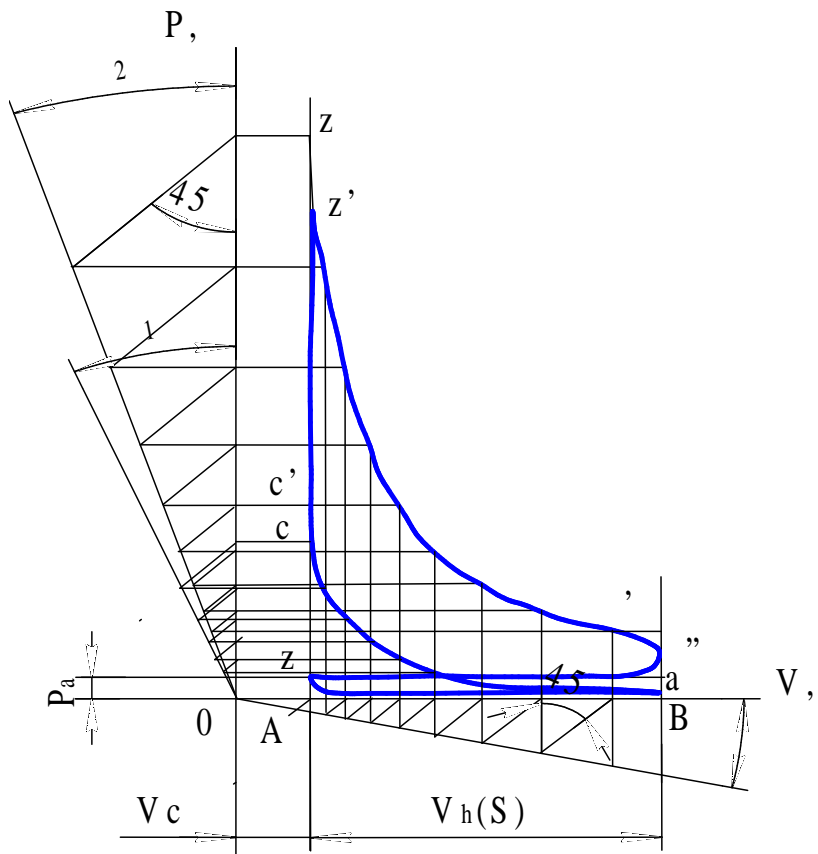
$$P'_z \approx 0,85 P_z.$$

() 10...12° P_z -z
 z'
 ρ . $zz' = OA(\rho - 1)$.

$$P''_i = \frac{f(\underline{c''z' ' ''})}{\underline{c''z' ' ''}} m_p$$

:

$$P_i = P'_i - P_i, \quad P_i = \frac{f(\underline{r''})}{\underline{r''}}.$$



1.4 -

2

2.1

$n_{\min} \cong \frac{n_N}{4}$,
 $n_{\max} = (1,1\dots 1,2)n_N$.

500...1000

N_e ,

$$N_{ex} = N_e \cdot \frac{n_x}{n_N} \left[1 + \frac{n_x}{n_N} - \left(\frac{n_x}{n_N} \right)^2 \right]; \quad (2.1)$$

$$N_{ex} = N_e \cdot \frac{n_x}{n_N} \left[0,87 + 1,13 \frac{n_x}{n_N} - \left(\frac{n_x}{n_N} \right)^2 \right]; \quad (2.2)$$

$$N_{ex} = N_e \cdot \frac{n_x}{n_N} \left[0,6 + 1,4 \frac{n_x}{n_N} - \left(\frac{n_x}{n_N} \right)^2 \right]; \quad (2.3)$$

$$N_{ex} = N_e \cdot \frac{n_x}{n_N} \left[0,7 + 1,3 \frac{n_x}{n_N} - \left(\frac{n_x}{n_N} \right)^2 \right]; \quad (2.4)$$

$N_e \quad n_x -$

$N_e \quad n_N -$

$$m_N \left(\frac{\cdot}{\cdot} \right) \quad 2.1.$$

(. 2.1).

M_e, \cdot
 \vdots

$$M_e = \frac{3 \cdot 10^4}{\pi} \cdot \frac{N_{ex}}{n_x}; \quad (2.5)$$

$$m_M \left(\frac{\cdot}{\cdot} \right) \quad 2.1.$$

(. 2.1).

$g_{ex}, / \cdot \cdot$

$$g_{ex} = g_{eN} \cdot \frac{n_x}{n_N} \left[1,2 - \frac{n_x}{n_N} + 0,8 \left(\frac{n_x}{n_N} \right)^2 \right]. \quad (2.6)$$

\vdots

$$g_{ex} = g_{eN} \left[1,55 - 1,55 \frac{n_x}{n_N} + \left(\frac{n_x}{n_N} \right)^2 \right]. \quad (2.7)$$

\vdots

$$g_{ex} = g_{eN} \left[1,35 - 1,35 \frac{n_x}{n_N} + \left(\frac{n_x}{n_N} \right)^2 \right]. \quad (2.8)$$

\vdots

$$g_{ex} = g_{eN} \left[1,2 - 1,2 \frac{n_x}{n_N} + \left(\frac{n_x}{n_N} \right)^2 \right]. \quad (2.9)$$

$$g_{eN} = n_N - \dots$$

$$N_e = \dots$$

$$g_{ex} = n_x - \dots$$

2.1.

$$m_{ge} (/ \cdot)$$

(.2.1).

$$G_{m_x}, /$$

:

$$G_{m_x} = g_{ex} \cdot N_{ex} \cdot 10^{-3}. \quad (2.10)$$

2.1.

$$G_{m_x} (/ \cdot)$$

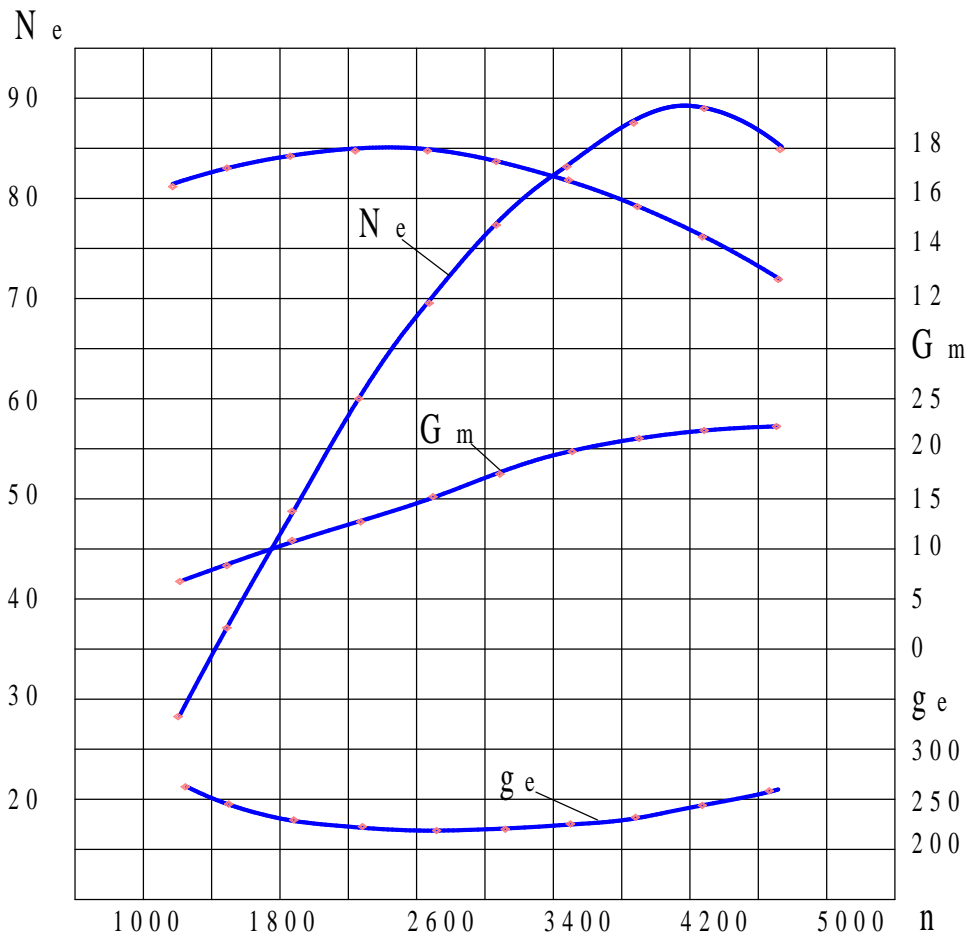
(.2.1).

14846-69:

- $n - 2000 / \dots, 10 - 200 / \dots$;
- $n - 2000 / \dots, 10 - 500 / \dots$;
- $N_e - 100 , 10 - 5$;
- $N_e - 100 , 10 - 10$;
- $M_e - 10 - 10$;
- $g_e - 10 - 20 / \cdot$. ;
- $G_m - 10 - 2 \dots 5 /$.

2.1 -

n	-			
	$N_e,$	$M_e,$	$g_e, / \cdot$	$G_m, /$
n_{\min}				
n_N				
n_{\max}				



2.1 – -

2.2

2.2).

2.2 – ,

1	2	3	4	5
	D			
	S			
	i	-		
	ε	-		
(-	n	/	.
)	-			

2.2

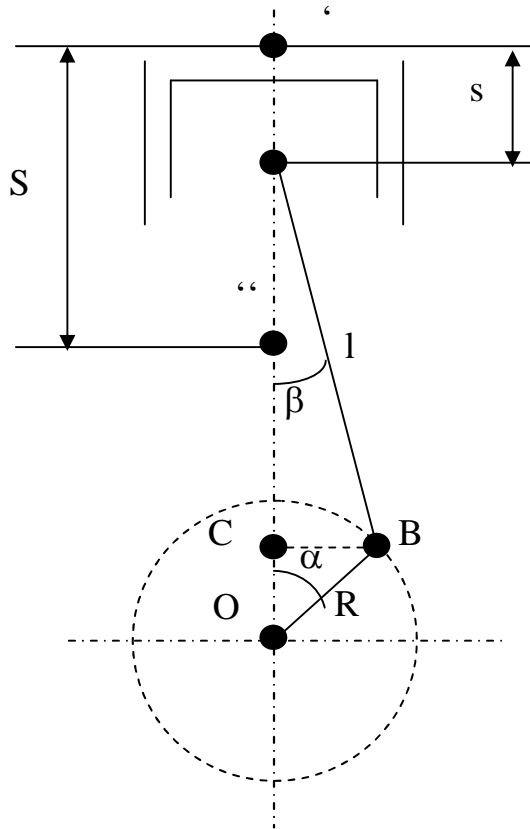
1	2	3	4	5
,	V_n			
()	$N_{e\max}$			
()	g_e	/(· .)		
() ⁻	$M_{e\max}$	·		
$M_{e\max}$	n_M	/ .		
$N_{e\max}$ (-)	P_e	/ ²		
	N	/		
	$g_{e\min}$	/(· .)		

3

() .
 ,
 ;
 ;
 15° 0° 720° .
 ,

3.1

():
 - V;
 -
 -
 - D, ;
 - S, ;
 - λ R l .
 R = S / 2 λ = R / l
 (λ = 1/3, 5...1/4, 5).
 3.1.



S — , s — , α — , R — ,
 β — ,
 l — ,
 3.1 —

3.1.1 , :

$$S_n = R \cdot \left[(1 - \cos \alpha) + \frac{1}{\lambda} (1 - \cos \beta) \right] = R \cdot A. \quad (3.1)$$

3.1.2 , / :

$$v_n = R \cdot \omega \cdot \left(\frac{\sin(\alpha + \beta)}{\cos \beta} \right) = R \cdot \omega \cdot B. \quad (3.2)$$

3.1.3 , /²:

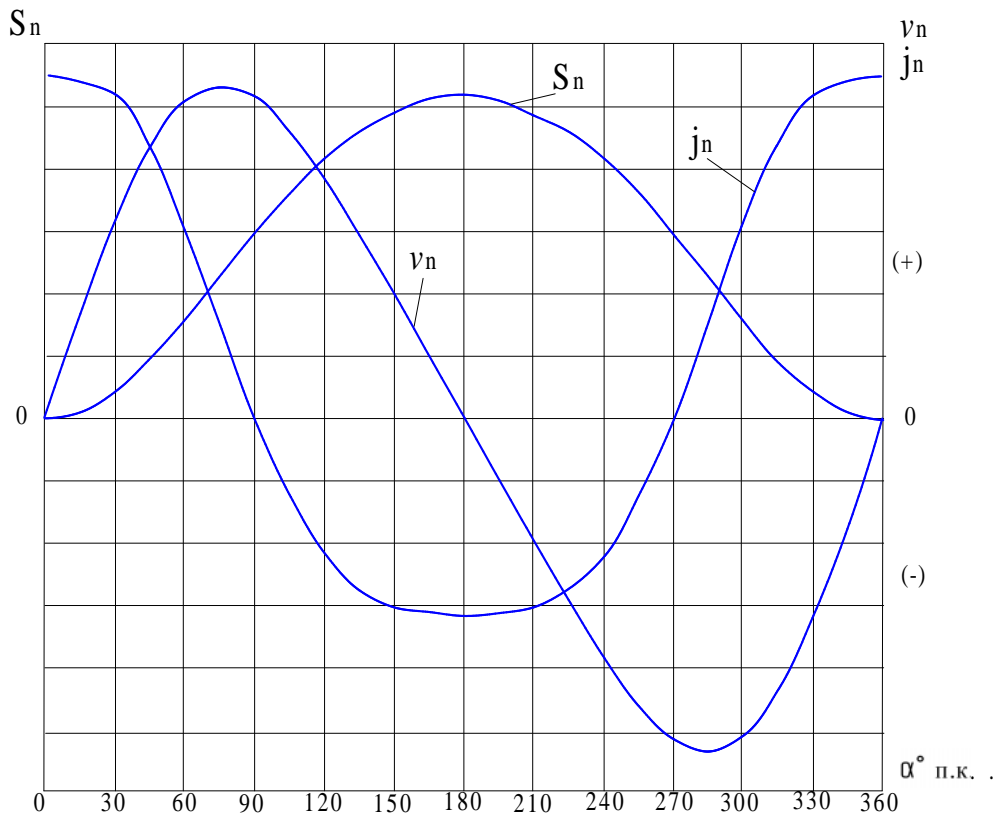
$$j_n = R \cdot \omega^2 \cdot \left(\frac{\cos(\alpha + \beta)}{\cos \beta} + \lambda \frac{\cos^2 \alpha}{\cos^3 \beta} \right) = R \cdot \omega^2 \cdot E. \quad (3.3)$$

$R -$, ;
 $S -$, ;
 $v = Sn/30 -$, / (
 $v = 8...16 /$); $\omega = \pi n/30 -$ -
 , -1 .

3.1÷3.3 , 3.1÷3.3, -
 , -

$\alpha ($ 5, 10, 15
 30°). 3.4.

$v_n = f(\alpha)$ $j_n = f(\alpha)$ -
 $S_n = f(\alpha)$, -
 $\alpha ($. 3.2). -



3.2 - S_n , v_n
 j_n

α°													α°		
	1/3,2	1/3,3	1/3,4	1/3,5	1/3,6	1/3,7	1/3,8	1/3,9	1/4,0	1/4,1	1/4,2				
0	+	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	+	360
15	+	0,0446	0,0443	0,0439	0,0437	0,0434	0,0431	0,0429	0,0427	0,0425	0,0423	0,0421	0,0421	+	345
30	+	0,1733	0,1721	0,1700	0,1699	0,1689	0,1679	0,1671	0,1662	0,1653	0,1646	0,1639	0,1639	+	330
45	+	0,3722	0,3697	0,3672	0,3652	0,3631	0,3611	0,3594	0,3576	0,3559	0,3544	0,3529	0,3529	+	315
60	+	0,6197	0,6159	0,6121	0,6090	0,6059	0,6028	0,6001	0,5975	0,5949	0,5926	0,5904	0,5904	+	300
75	+	0,8918	0,8960	0,8813	0,8774	0,8734	0,8695	0,8662	0,8629	0,8596	0,8568	0,8539	0,8539	+	285
90	+	1,1606	1,1555	1,1504	1,1419	1,1399	1,1377	1,1341	1,1306	1,1270	1,1240	1,1209	1,1209	+	270
105	+	1,4084	1,4037	1,3989	1,3950	1,3911	1,3871	1,3838	1,3805	1,3772	1,3745	1,3716	1,3716	+	255
120	+	1,6197	1,6159	1,6121	1,6090	1,6059	1,6028	1,6000	1,5973	1,5949	1,5926	1,5904	1,5904	+	240
135	+	1,7664	1,7839	1,7814	1,7794	1,7773	1,7753	1,7736	1,7718	1,7601	1,7686	1,7671	1,7671	+	225
150	+	1,9054	1,9042	1,9030	1,8920	1,8910	1,9000	1,8991	1,8983	1,8974	1,8967	1,8959	1,8959	+	210
165	+	1,9764	1,9761	1,9758	1,9756	1,9753	1,9750	1,9748	1,9745	1,9743	1,9741	1,9739	1,9739	+	195
180	+	2,0000	2,0000	2,0000	2,0000	2,0000	2,0000	2,0000	2,0000	2,0000	2,0000	2,0000	2,0000	+	180

α°		α											α°			
		1/3,2	1/3,3	1/3,4	1/3,5	1/3,6	1/3,7	1/3,8	1/3,9	1/4,0	1/4,1	1/4,2				
0	+	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	-	360
15	+	0,3371	0,3348	0,3326	0,3303	0,3284	0,3266	0,3245	0,3290	0,3216	0,3199	0,3185	-	-	-	345
30	+	0,6369	0,6327	0,6288	0,6250	0,6215	0,6181	0,6150	0,6120	0,6091	0,6064	0,6038	-	-	-	330
45	+	0,8673	0,8621	0,8574	0,8529	0,8489	0,8447	0,8411	0,8375	0,8341	0,8310	0,8280	-	-	-	315
60	+	1,0066	1,0020	0,9977	0,9937	0,9899	0,9864	0,9831	0,9799	0,9769	0,9741	0,9714	-	-	-	300
75	+	1,0479	1,0452	1,0430	1,0402	1,0381	1,0359	1,0340	1,0320	1,0303	1,0287	1,0271	-	-	-	285
90	+	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	-	-	-	270
105	+	0,8840	0,8867	0,8892	0,8916	0,8938	0,8960	0,8978	0,8998	0,9016	0,9032	0,9047	-	-	-	255
120	+	0,7255	0,7301	0,7343	0,7383	0,7421	0,7457	0,7490	0,7522	0,7551	0,7580	0,7607	-	-	-	240
135	+	0,5469	0,5521	0,5567	0,5613	0,5654	0,5695	0,5731	0,5767	0,5801	0,5832	0,5862	-	-	-	225
150	+	0,3631	0,3673	0,3713	0,3750	0,3785	0,3819	0,3851	0,3881	0,3909	0,3936	0,3962	-	-	-	210
165	+	0,1805	0,1828	0,1850	0,1873	0,1893	0,1910	0,1929	0,1946	0,1961	0,1938	0,1922	-	-	-	195
180	+	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	-	-	-	180

α°													α°	
	1/3,2	1/3,3	1/3,4	1/3,5	1/3,6	1/3,7	1/3,8	1/3,9	1/4,0	1/4,1	1/4,2			
0	+	1,3131	1,3036	1,2941	1,2862	1,2782	1,2703	1,2635	1,2561	1,2500	1,2442	1,2334	+	360
15	+	1,2399	1,2314	1,2229	1,2159	1,2088	1,2018	1,1958	1,1898	1,1830	1,1786	1,1735	+	345
30	+	1,0305	1,0251	1,0196	1,0151	1,0107	1,0062	1,0024	0,9987	0,9849	0,9917	0,9886	+	330
45	+	0,7154	0,7146	0,7138	0,7133	0,7129	0,7124	0,7120	0,7116	0,7112	0,7109	0,7107	+	315
60	+	0,3438	0,3485	0,6562	0,6571	0,3611	0,3650	0,3684	0,3717	0,3751	0,3790	0,3809	+	300
75	-	0,0193	0,0143	0,0050	0,0026	0,0101	0,0177	0,0241	0,0304	0,0368	0,0422	0,0476	-	285
90	-	0,3598	0,3187	0,3977	0,2987	0,2897	0,2807	0,2732	0,2657	0,2582	0,2519	0,2455	-	270
105	-	0,5412	0,5820	0,5227	0,515	0,5075	0,4999	0,7935	0,4872	0,4808	0,4754	0,4700	-	255
120	-	0,6563	0,6516	0,6469	0,6429	0,6389	0,6350	0,6317	0,6284	0,6250	0,6220	0,6191	-	240
135	-	0,6987	0,6995	0,7003	0,7009	0,7013	0,7018	0,7022	0,7026	0,7030	0,7034	0,7036	-	225
150	-	0,7158	0,7070	0,7125	0,7169	0,7213	0,7258	0,7296	0,7333	0,7371	0,7402	0,7433	-	210
165	-	0,6919	0,7004	0,7089	0,7161	0,7232	0,7302	0,7361	0,7421	0,7481	0,7532	0,7583	-	195
180	-	0,6869	0,6964	0,7059	0,7138	0,7218	0,7297	0,7365	0,7432	0,7500	0,7558	0,7616	-	+180

*

(+)

3.4 -

$S_n,$

v_n

j_n

α°	R			A	S_n	B	v_n		j_n
0									
15									
30									
45									
.									
.									
360									

3.2

$$p = f(v) \quad p = f(S).$$

$$p = \varphi(\alpha)(\alpha - \dots).$$

(15°)

... , p 30°
 . 3.2
 R' ,
 ,
 $R'\lambda/2$.
 30° 150° 30° ,

$$\Delta P, \quad \alpha.$$

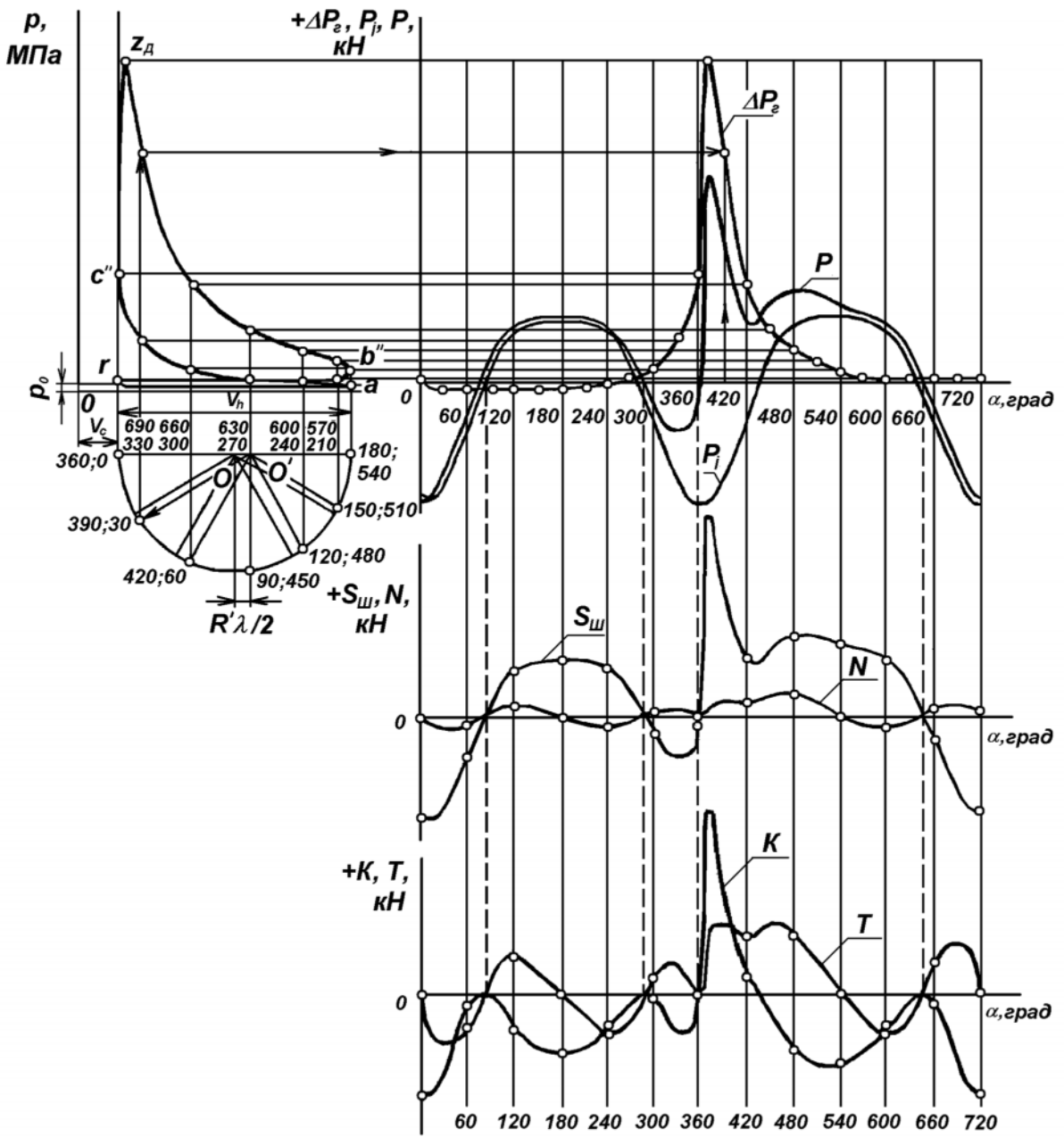
$$P = (\dots) F, \quad (3.4)$$

$$p - \dots (\dots)$$

$$p - \dots ; (\dots), ;$$

$$- p = 0,1 ;$$

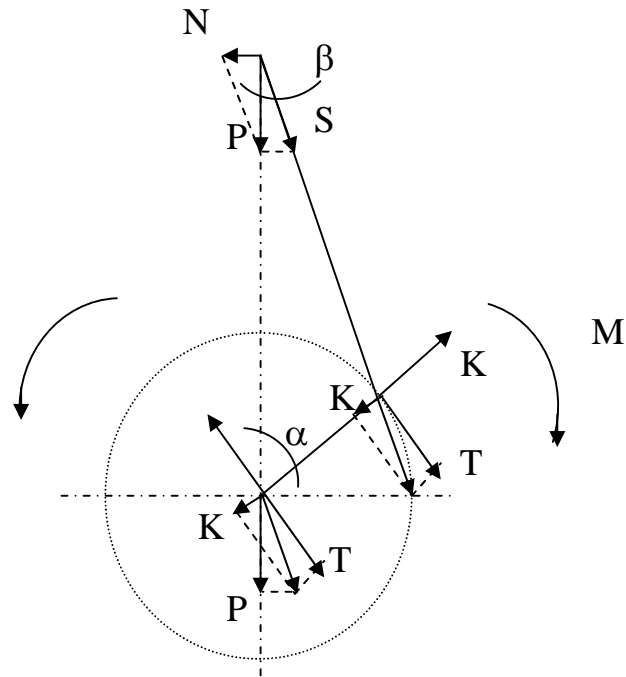
$$F - \dots, ^2; \quad F = \pi D^2 / 4.$$



3.2 – ()
 $p - \alpha$, ,
 α , , -
 $p = \varphi(\alpha)$ /

$\mu = 10^6 \mu_p F$, μ - / ,

P $p = \varphi(\alpha)$ $\mu.$ -
3.9.



3.3 -

m_j - , ,
- : - ,

$$m_j = m_n + m \quad , \quad (3.5)$$

m_n - (, , -
, ;
 m - -
, .

$$m = (0,25 \dots 0,30)m \quad , \quad m - .$$

$$m_n = m'_n F \quad , \quad (3.6)$$

$$m = m' F \quad , \quad (3.7)$$

$m' \quad m' -$

3.5.

3.5 - / ²

	60...80	80.....120	80.....100	100.....140
:	80...120	100...150	150...220	200...300
-	150...200	180...250	250...320	300...400
-	100.....150	130.....200	250.....320	300.....400

- , P_j

:

$$P_j = -m_j R \omega^2 (\cos \alpha + \lambda \cos 2\alpha), \quad (3.8)$$

$R -$, ; $R = 0,5S$ ($S -$);
 $\omega -$, $\omega = \pi/30$, /c.
 P_j α , -
 $P .$

3.9.

P , P , -
 P , -
 P_j :

$$= P + P_j, \quad (3.9)$$

3.9.

- () N , -
 N :

$$N = P \operatorname{tg} \beta, \quad (3.10)$$

- K , -
 K :

$$K = P \cos (\alpha + \beta) / \cos \beta, \quad (3.11)$$

- , T , :

$$T = P \sin (\alpha + \beta) / \cos \beta , \quad (3.12)$$

- , S , -
:

$$S = P(1 / \cos \beta) , \quad (3.13)$$

β - , $\beta = \arcsin(\lambda \sin \alpha)$.

3.2, 3.6, 3.7, 3.8.

α λ
 K, N, T, S

3.9.

() M . ,

$$M = TR . \quad (3.14)$$

K_r , -
(
) ,

$$K_r = -m R \omega^2 . \quad (3.15)$$

m - , ,
 $m = m - m$.

R , , -

:

$$R = T + K + K_r . \quad (3.16)$$

:

$$R = \sqrt{T^2 + (K + K_r)^2} . \quad (3.17)$$

:

$$\psi = \arctg [T / (K + K_r)] . \quad (3.18)$$

α°													α°			
		1/3,2	1/3,3	1/3,4	1/3,5	1/3,6	1/3,7	1/3,8	1/3,9	1/4,0	1/4,1	1/4,2				
0	+	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	-	360
15	+	0,0790	0,0767	0,0743	0,0717	0,0701	0,0682	0,0663	0,0646	0,0630	0,0614	0,0599	-	-	-	345
30	+	0,1581	0,1534	0,1487	0,1435	0,1403	0,1365	0,1327	0,1293	0,1260	0,1229	0,1198	-	-	-	330
45	+	0,2196	0,2128	0,2060	0,1995	0,1940	0,1887	0,1834	0,1786	0,1739	0,1695	0,1652	-	-	-	315
60	+	0,2811	0,2722	0,2634	0,2556	0,2478	0,2409	0,2341	0,2279	0,2218	0,2162	0,2107	-	-	-	300
75	+	0,3051	0,2953	0,2855	0,2770	0,2684	0,2600	0,2534	0,2467	0,2400	0,2339	0,2280	-	-	-	285
90	+	0,3291	0,3184	0,3077	0,2984	0,2891	0,2809	0,2728	0,2655	0,2582	0,2517	0,2453	-	-	-	270
105	+	0,3051	0,2953	0,2855	0,2770	0,2684	0,2600	0,2534	0,2467	0,2400	0,2339	0,2280	-	-	-	255
120	+	0,2811	0,2722	0,2634	0,2556	0,2478	0,2409	0,2341	0,2279	0,2218	0,2162	0,1652	-	-	-	240
135	+	0,2196	0,2128	0,2060	0,1995	0,1940	0,1887	0,1834	0,1786	0,1739	0,1695	0,2107	-	-	-	225
150	+	0,1581	0,1534	0,1487	0,1435	0,1403	0,1365	0,1327	0,1293	0,1260	0,1229	0,1198	-	-	-	210
165	+	0,0790	0,0767	0,0743	0,0717	0,0701	0,0682	0,0663	0,0646	0,0630	0,0614	0,0599	-	-	-	195
180	+	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	0,0000	-	-	-	180

α°													α°	
	1/3,2	1/3,3	1/3,4	1/3,5	1/3,6	1/3,7	1/3,8	1/3,9	1/4,0	1/4,1	1/4,2			
0	+	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	+	360
15	+	0,9449	0,9455	0,9461	0,9463	0,9474	0,9478	0,9483	0,9488	0,9491	0,9495	0,9499	+	345
30	+	0,7870	0,7894	0,7917	0,7939	0,7958	0,7978	0,7997	0,8014	0,8030	0,9046	0,9061	+	330
45	+	0,5469	0,5521	0,5567	0,5614	0,5654	0,5695	0,5731	0,5767	0,5801	0,5932	0,5862	+	315
60	+	0,2566	0,2645	0,2719	0,2789	0,2854	0,2915	0,2973	0,3028	0,3079	0,3129	0,3175	+	300
75	-	0,0470	0,0368	0,0273	0,0184	0,0103	0,0024	0,0049	0,0120	0,0185	0,0246	0,0305	-	285
90	-	0,3291	0,3180	0,3077	0,2981	0,2891	0,2807	0,2728	0,2653	0,2582	0,2515	0,2453	-	270
105	-	0,5646	0,5545	0,5450	0,5361	0,5279	0,5200	0,5129	0,5056	0,4999	0,4931	0,4872	-	255
120	-	0,7434	0,7355	0,7281	0,7212	0,7146	0,7085	0,7027	0,6972	0,6921	0,6871	0,6825	-	240
135	-	0,8673	0,8621	0,8574	0,8529	0,8489	0,8447	0,8411	0,8375	0,8341	0,8310	0,8280	-	225
150	-	0,9451	0,9427	0,9404	0,9382	0,9362	0,9342	0,9324	0,9307	0,9290	0,9275	0,9259	-	210
165	-	0,9869	0,9864	0,9857	0,9851	0,9846	0,9842	0,9836	0,9832	0,9828	0,9823	0,9819	-	195
180	-	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	-	180

* (+)

α°													α°	
	1/3,2	1/3,3	1/3,4	1/3,5	1/3,6	1/3,7	1/3,8	1/3,9	1/4,0	1/4,1	1/4,2			
0	+	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	+	360
15	+	0,9938	0,9942	0,9946	0,9948	0,9951	0,9958	0,9936	0,9948	0,9963	0,9964	+	345	
30	+	0,9877	0,9884	0,9891	0,9897	0,9903	0,9908	0,9913	0,9917	0,9925	0,9929	+	330	
45	+	0,9753	0,9766	0,9780	0,9792	0,9804	0,9814	0,9824	0,9833	0,9849	0,9857	+	315	
60	+	0,9627	0,9648	0,9670	0,9688	0,9706	0,9721	0,9737	0,9750	0,9774	0,9785	+	300	
75	+	0,9563	0,9588	0,9614	0,9636	0,9656	0,9675	0,9692	0,9708	0,9736	0,9748	+	285	
90	+	0,9499	0,9527	0,9558	0,9572	0,9606	0,9627	0,9648	0,9666	0,9697	0,9712	+	270	
105	+	0,9563	0,9588	0,9614	0,9636	0,9656	0,9675	0,9692	0,9708	0,9736	0,9748	+	255	
120	+	0,9627	0,9648	0,9670	0,9688	0,9706	0,9721	0,9737	0,9750	0,9774	0,9785	+	240	
135	+	0,9753	0,9766	0,9780	0,9792	0,9804	0,9814	0,9824	0,9833	0,9849	0,9857	+	225	
150	+	0,9877	0,9884	0,9891	0,9897	0,9903	0,9908	0,9913	0,9917	0,9925	0,9929	+	210	
165	+	0,9938	0,9942	0,9946	0,9948	0,9951	0,9958	0,9936	0,9948	0,9963	0,9964	+	195	
180	+	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	1,0000	+	180	

α	P	P_j	P	S	N	K	T	R	ψ

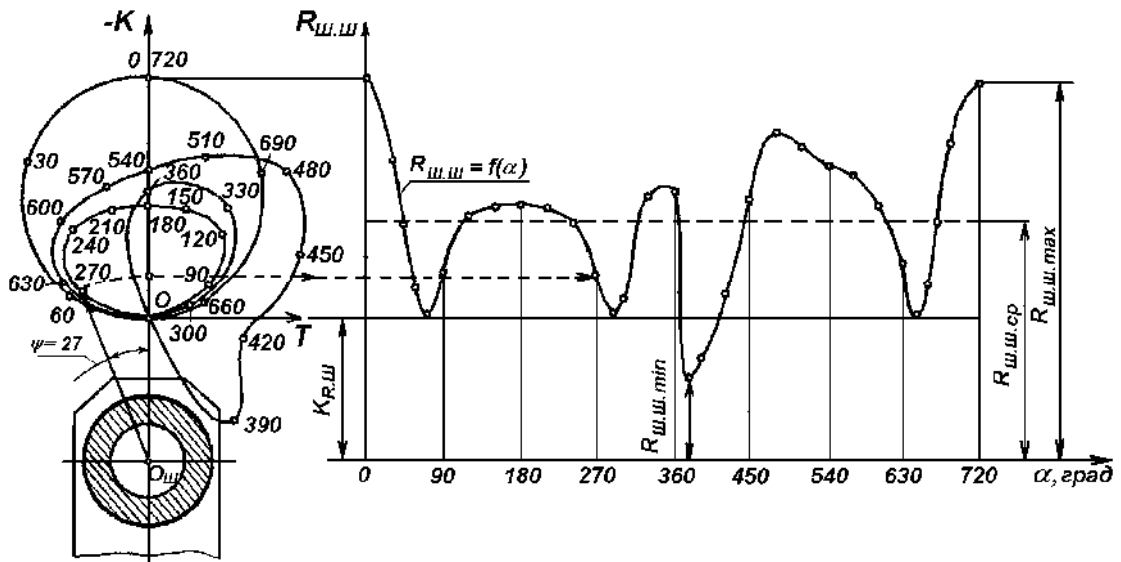
3.3

3.9.

3.2
 - $P, P_j, P; S, N; K, T.$

$\mu,$

R
 () (.3.4),
 $\psi.$
 R -
 R



$$R_{\max}, R_{\min}, R_{cp}(\alpha)$$

$$R_{cp} = F\mu/l, \tag{3.19}$$

$$F - l - \mu - R = f(\alpha), \quad \alpha, \quad ; \quad , \quad ^2;$$

$$T \quad \mu_M = \mu R \quad / \quad M ,$$

$$\sum M = f(\alpha)$$

)

$$\theta = 720/i$$

(.3.5,).

(.3.5,).

$$\sum M = f(\alpha)$$

$$\sum M_{cp} ($$

)

:

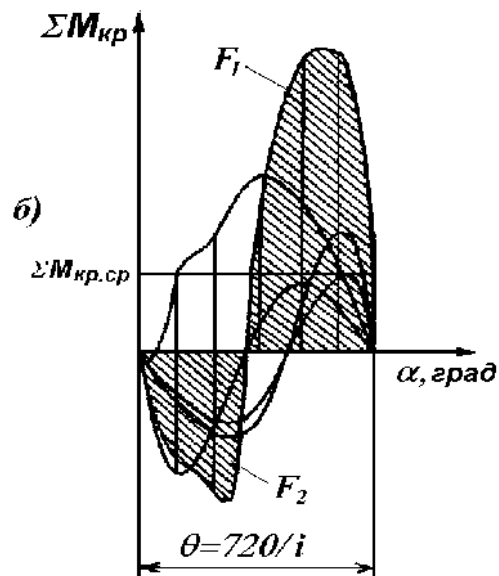
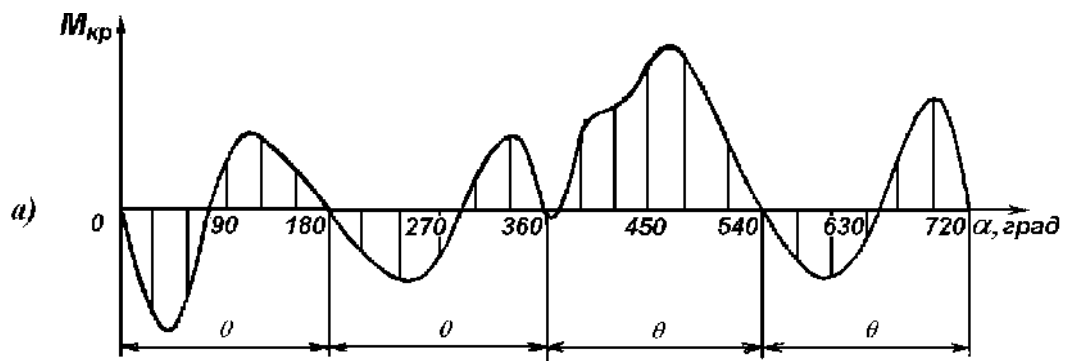
$$\sum M_{cp} = (F_1 - F_2)\mu_M / l, \tag{3.20}$$

$$F_1 - F_2 - ,$$

$$\sum M = f(\alpha), \quad ^2 (l > 6$$

$$F_2 = 0);$$

l -



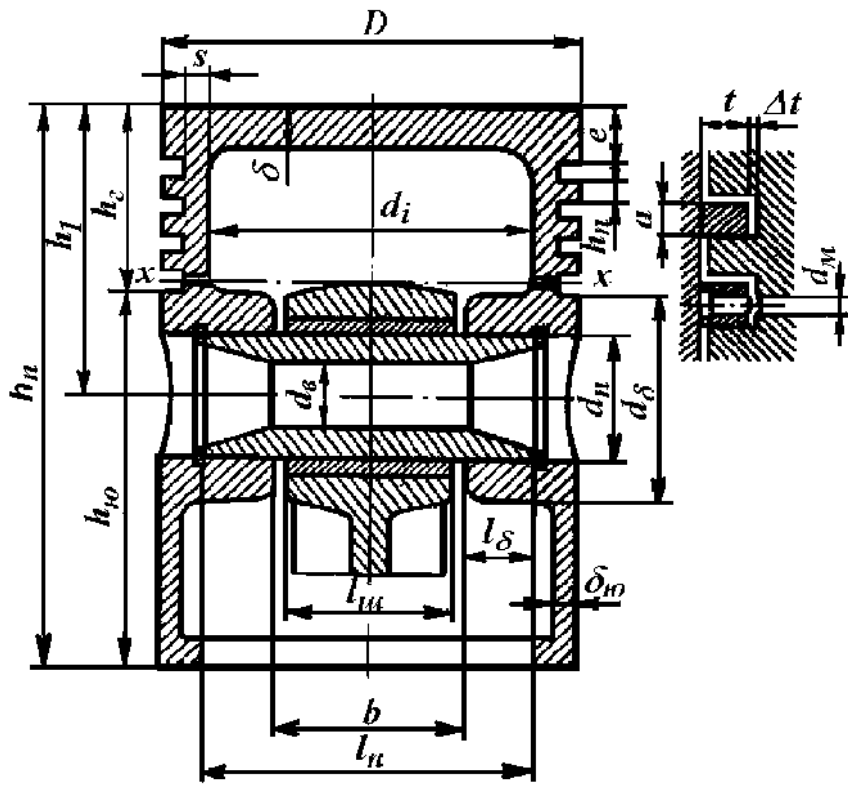
3.5 –

M_e .

$$M_e = \sum M_{\text{ср}} \eta_M, \quad (3.21)$$

η_M – (, $\Delta = 5\%$).
 M_e .

4.1.

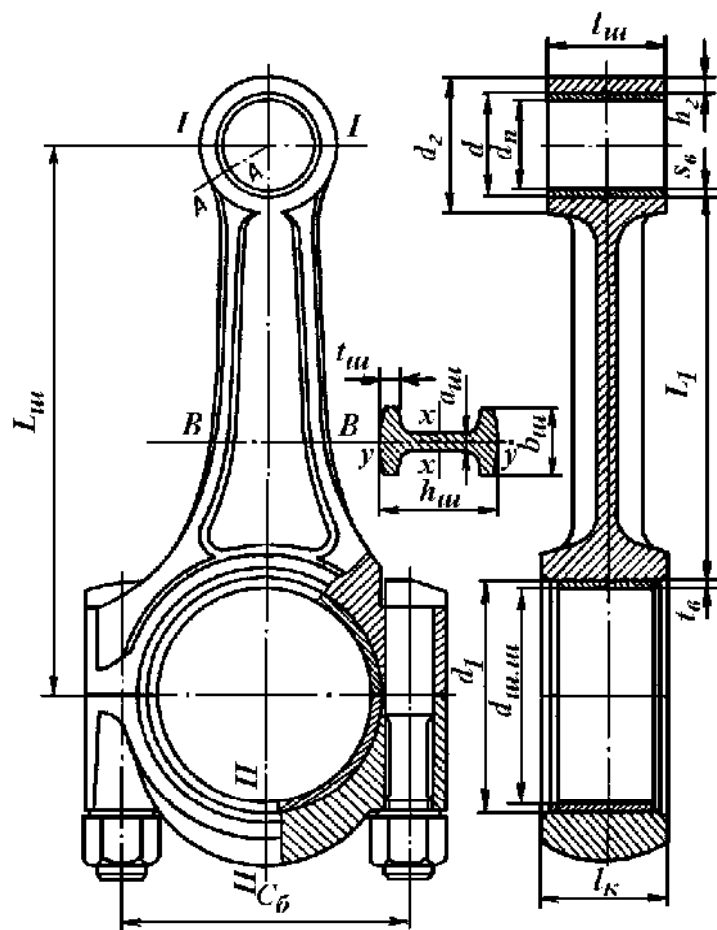


. 4.1

. 4.2

4.1.

4.1 -



4.2 -

4.1 -

	2	3
1		
h	$(0,8...1...1,3)D$	$(1,0...1...1,7)D$
S_n	$(2,5...4...4,0)t$	$(3,2...4...4,0)t$
h_l	$(0,45...0...0,75)D$	$(0,6...1...1,0)D$
	6...12...12	
δ	$(0,05...0...0,10)D$	$(0,12...0...0,20)D$
δ	4...10...10	8...15...15
h	$(0,6...0...0,8)D$	$(0,6...1...1,1)D$
d	$(0,3...0...0,5)D$	$(0,3...0...0,5)D$

4.1

1	2	3
b	$(0,3...0...0,5)D$	
δ	1,5...4...4,5	2,0...5...5,0
s	$(0,05...0...0,10)D$	
e	$(0,06...0...0,12)D$	$(0,11...0...0,20)D$
h_n	$(0,03...0...0,05)D$	$(0,04...0...0,07)D$
$t:$	$(0,04...0...0,05)D$ $(0,038...0,045)D$	$(0,04...0...0,05)D$ $(0,038...0,043)D$
a	2...4...4	3...5...5
Δt	-	
:		0,70...0,95 0,9...1,1
d_i	$D - 2(s + t + t)$	
d	$(0,3...0...0,5)$	
d_n	$(0,22...0...0,28)D$	$(0,30...0...0,38)D$
d	$(0,65...0...0,75)d_{\underline{}}$	$(0,50...0...0,70)d_{\underline{}}$
$l_n:$	$(0,78...0...0,88)D$ $(0,78...0...0,88)D$	$(0,80...0...0,90)D$ $(0,80...0...0,93)D$
d	-	
	$(1,25...1...1,65)d$	$(1,3...1...1,7)d$
d	d	
-	$(0,3...0...0,5)D$	
$l:$	$(0,28...0...0,32)D$ $(0,33...0...0,45)D$	
:		
h_{\min}	$(0,5...0...0,55)d$	$(0,5...0...0,55)d$
h	$(1,2...1...1,4)h_{\min}$	$(1,2...1...1,4)h_{\min}$
b	$(0,5...0...0,6)l$	$(0,55...0...0,75)l$
a	$(2,5...4,0)$	$(4,0...7,5)$

4.1

d	$(1,25...1...1,65)d$	$(1,3...1...1,7)d$
l	$(0,45...0...0,95)h_{\min}$	
h	$0,5l$	
l	l	
d	$(0,56...0...0,76)D$	
l -	$(0,45...0...0,95)d$	
d :	$(0,6...0...0,8)D$ $(0,2...0...0,3)d$	$(0,7...0...0,9)D$ $(0,2...0...0,3)d$
h	$(0,03...0...0,05)d$	
l	$l - (3...4...4)$	

4.2

4.2.1

, / ²:

$$\sigma_p = \frac{P_{z\max} D}{2\delta}, \quad (4.1)$$

$P_{z\max}$ - ,
/ ²,
 D - , ,
 δ - , ,

$[\sigma_p]$:
- 40...60 / ².
- 80...120 / ;
- 20...40 / .

4.2.2

,
)
 N_{\max} : , / ²:

$$\sigma'_p = \frac{P_{z \max} D}{4\delta}, \quad (4.2)$$

) N_{\max} , -

$$M = N_{\max} \cdot F_n \cdot h, \quad (4.3)$$

N_{\max} - , /²,
 $F_n = \frac{\pi D^2}{4}$ - ,
 h - , .
) , /²:

$$\sigma = \frac{M}{W}, \quad (4.4)$$

$$W = 0,1 \frac{D_1^4 - D^4}{D_1} - ,$$

3.;

D_1 - , ;
 D - .
) :

$$\sigma_{\Sigma} = \sigma_p + \sigma \leq [\sigma_{\Sigma}], \quad (4.5)$$

$\sigma_{\Sigma} \leq [\sigma_{\Sigma}] = 60$ /² - ;
 $\sigma_{\Sigma} \leq [\sigma_{\Sigma}] = 110$ /² - .

4.2.3

$$P = (1,25 \dots 1,3) P_{\Sigma \max} \cdot F_r, \quad (4.6)$$

$P_{\Sigma \max}$ - , /²;
 F_r - ,².

$$F_r = (1,1...1,3)F_n, \quad -$$

$$F_r = (1,7...2,2)F_n.$$

$$P_p = P + P_{\Sigma \max} \cdot F_r, \quad (4.7)$$

$$P'_p = \frac{P_p}{z}, \quad (4.8)$$

$$\sigma_p = \frac{P'_p}{F_o} \leq [\sigma_p], \quad (4.9)$$

$$F_o = \frac{\pi d^2}{2} -$$

);

$$[\sigma_p] = 100...150 \quad / \text{ }^2 -$$

$$[\sigma_p] = 250...300 \quad / \text{ }^2 -$$

4.3

$$P_{\Sigma \max}$$

$$N_{\max} \cdot$$

4.3.1

$$\sigma = P_{\Sigma \max} \left(\frac{r_i}{\delta} \right)^2 \leq [\sigma], \quad (4.10)$$

$$r_i -$$

$$\delta -$$

$$[\sigma] = 20...25 \quad / \text{ }^2 -$$

$$[\sigma] = 40...50 \quad / \text{ }^2 -$$

$$\begin{aligned} [\sigma] &= 80 \dots 200 & / & \text{ }^2 - & \dots \\ [\sigma] &= 50 \dots 150 & / & \text{ }^2 - & \dots \end{aligned}$$

4.3.2

:

$$\sigma = \frac{P_z}{F_{xx}} \leq [\sigma], \quad (4.11)$$

$$\begin{aligned} F_{xx} &= \dots, \text{ }^2; \\ P_z &= P_{\Sigma \max} F_n - \dots; \\ [\sigma] &= 30 \dots 40 & / & \text{ }^2 - & \dots; \\ [\sigma] &= 60 \dots 80 & / & \text{ }^2 - & \dots \end{aligned}$$

4.3.3

:

$$q = \frac{N_{\max} F_n}{h \cdot D} \leq [q], \quad (4.12)$$

$$\begin{aligned} h &= \dots; \\ [q] &= 0,33 \dots 0,96 & / & \text{ }^2. \end{aligned}$$

4.4

4.4.1

:

$$q_1 = \frac{P_{\max}}{d_n \cdot l} \leq [q_1], \quad (4.13)$$

$$\begin{aligned} P_{\max} &= (P_{z \max} + k P_{j \max}) F_n; \\ k &= 0,6 \dots 0,7 - \dots; \end{aligned}$$

$$\begin{aligned} P_{j \max} &= \dots - \dots; \\ & \left(\dots \right), \dots; \\ d_n &= \dots, \dots; \\ l &= \dots, \dots. \end{aligned}$$

4.4.2

:

$$q_2 = \frac{P_{\max}}{d_n(l_n - B)} \leq [q_2], \quad (4.14)$$

$$l_n - B - \dots$$

$$[q_1] = 20 \dots 60 \quad / \quad ^2, [q_2] = 15 \dots 50 \quad / \quad ^2.$$

4.4.3

:

$$\sigma = \frac{P_{\max}(l_n + 2B - 1,5l)}{1,2(1 - \alpha^4)d_n^3} \leq [\sigma], \quad (4.15)$$

$$\alpha = \frac{d}{d} -$$

$$[\sigma] = 100 \dots 250 \quad / \quad ^2.$$

4.4.4

:

$$\tau = \frac{0,85P_{\max}(1 + \alpha + \alpha^2)}{(1 - \alpha^4)d_n^2} \leq [\tau], \quad (4.16)$$

$$[\tau] = 60 \dots 250 \quad / \quad ^2.$$

4.4.5

:

$$d_{n\max} = \frac{1,35P_{\max}}{El_n} \left(\frac{1 + \alpha}{1 - \alpha} \right)^3 [0,1 - (\alpha - 0,4)^3] \cdot 10^3 \leq [d_{n\max}], \quad (4.17)$$

$$E = (2,0 \dots 2,3) \cdot 10^5 \quad / \quad ^2 -$$

$$[d_{n\max}] = 0,02 \dots 0,05 \quad .$$

4.5

4.5.1

, / ^2 :

$$P_{cp} = \frac{0,425E \frac{S_o}{t}}{(3-\mu) \left(\frac{D}{t} - 1 \right)^3 \frac{D}{t}}, \quad (4.18)$$

$E = 1 \cdot 10^5$ / 2 ; $E = 1,2 \cdot 10^5$ / 2 ;
 $E = (2,0 \dots 2,3) \cdot 10^5$ / 2 ;
 $S_o =$
 $t =$; $\mu = 0 =$; $\mu = 2 =$ -
 $D =$, .
 $\frac{S_o}{t} = 2,5 \dots 4,0$;
 $\frac{S_o}{t} = 3,2 \dots 4,0$;
 $P_{cp} = 0,11 \dots 0,37$ / 2 .

4.5.2 , / 2 :

$$\sigma_1 = 2,61 P_{cp} \left(\frac{D}{t} - 1 \right)^2. \quad (4.19)$$

4.5.3
/ 2 :

$$\sigma_2 = \frac{4E \left(1 - 0,114 \frac{S_o}{t} \right)}{m \left(\frac{D}{t} - 1,4 \right) \frac{D}{t}} \leq [\sigma], \quad (4.20)$$

$m = 1,57 =$;
 $[\sigma_1] = 220 \dots 450$ / 2 ;
 $\sigma_1 = 220 \dots 450$ / 2 .

4.6

4.6.1

$$\sigma = \frac{P_{jn\max}}{(d_r - d_r)l} \leq [\sigma], \quad (4.21)$$

$$P_{jn\max} = -m_n r \omega^2 (1 + \lambda) F_n \cdot 10^5 -$$

, ;
 $m_n -$, ;
 $r -$, ;
 $\omega -$, ⁻¹;
 $F_n -$, ²;
 $d_r , d_r -$ -
 $l -$, ;
 $[\sigma] = 15 \dots 25 \quad / \quad ^2$.

4.6.2

$$P = P_{\Sigma\max} \cdot F_n \cdot \quad P_p = -P_{j\max} \cdot F_n$$

$$P_{j\max} \quad P_{\Sigma\max}$$

$$\sigma = \frac{P}{f}, \quad (4.22)$$

$f -$ (-
 $), \quad ^2$.

$$\sigma_p = \frac{P_p}{f}. \quad (4.23)$$

): (-

$$\sigma_p = \frac{\sigma + \sigma_p}{2} \tag{4.24}$$

():

$$\sigma_a = \frac{\sigma - \sigma_p}{2} \tag{4.25}$$

:

$$n_c = \frac{\sigma_{-1Z}}{\frac{\sigma_a}{\varepsilon} + \alpha \cdot \sigma_{cp}} \tag{4.26}$$

$$\sigma_{-1Z} = 180 \dots 250 \quad / \text{ }^2 -$$

$$\begin{aligned} \sigma_{-1Z} &= 340 \dots 380 \quad / \text{ }^2 ; \\ \varepsilon &= 0,8 \dots 0,9 - \\ \alpha &= 0,2 - \end{aligned}$$

4.6.3 , / ²:

$$\sigma = P_{j \max} \left[\frac{0,023 \cdot l}{\left(1 + \frac{I}{l}\right) W} + \frac{0,4}{F + F} \right] \leq [\sigma] \tag{4.27}$$

$$l - , ;$$

$$W = \frac{l h}{6} -$$

$$l, h - , ;$$

$$I = \frac{l h}{12} - , 4;$$

$$I = \frac{l h}{12} - , 4;$$

$$l, h - , ;$$

2. $F, F -$,
 $P_{j\max} = -P_j(1,05...1,1) -$, ;
 $[\sigma] = 120...300 / ^2 -$.

4.6.4

, , :

$$P = P + \frac{\alpha \cdot P_{j\max}}{i}, \quad (4.28)$$

$P = (2...3) \frac{P_{j\max}}{i} -$, ,
 $\alpha = 0,2...0...0,25 -$, -
 $i -$, / ²:
)

$$\sigma_{\max} = \frac{P}{f_{\min}}; \quad (4.29)$$

)

$$\sigma_{\min} = \frac{P}{f_{\min}}, \quad (4.30)$$

$f_{\min} = \frac{\pi d^2}{4} -$, ²;
 $d -$, / ²:
 , .

$$\sigma_p = \frac{\sigma_{\max} + \sigma_{\min}}{2}. \quad (4.31)$$

, / ²:

$$\sigma_a = \frac{\sigma_{\max} - \sigma_{\min}}{2}. \quad (4.32)$$

$$n = \frac{\sigma_{-1Z}}{k \frac{\sigma_a}{\varepsilon} + \alpha \cdot \sigma_{cp}}, \quad (4.33)$$

$$k = 3,0 \dots 4,5 - \sigma_{-1Z}, \alpha \quad \varepsilon \quad 4.6.2.$$

4.7

$$\tau_{\max} = \frac{M_{\max}}{W} = \frac{M_{\max}}{0,2d^3}, \quad (4.34)$$

$$d - \quad , \quad ;$$

$$M_{\max} = T_{\Sigma \max} \cdot R \cdot F_n - \quad , \quad ;$$

$$R - \quad , \quad .$$

$$\tau_{\min} = \frac{M_{\min}}{W} = \frac{M_{\min}}{0,2d^3}, \quad (4.35)$$

$$M_{\min} = T_{\Sigma \min} \cdot R \cdot F_n -$$

$$T_{\Sigma \max} \quad T_{\Sigma \min}$$

$$\tau_p = \frac{\tau_{\max} + \tau_{\min}}{2}. \quad (4.36)$$

$$, \quad / ^2:$$

$$\tau_a = \frac{\tau_{\max} - \tau_{\min}}{2}. \quad (4.37)$$

$$n = \frac{\tau_{-1}}{2,5 \cdot \tau_a \frac{k_\tau}{\varepsilon_\tau} + \alpha_\tau \cdot \tau_{cp}}, \quad (4.38)$$

$\tau_{-1} = 180 \dots 220 \text{ / } ^2$; $\tau_{-1} = 280 \dots 320 \text{ / } ^2$;
 $k_\tau = 1,8 \dots 2,0$;
 $\varepsilon_\tau = 0,7 \dots 0,8$;
 $\alpha_\tau = 0,1$;
 , / ²:

$$q_{cp} = \frac{P'}{d \cdot l} \leq [q], \quad (4.39)$$

$P = P_{\max} F_n$;
 $P' = P_{\max} F_n$;
 d, l ;
 , / ²:

$$q_{\max} = \frac{P'_{\max}}{d \cdot l} \leq [q_{\max}], \quad (4.40)$$

$P_{\max} = P_{\max} F_n$;
 $P'_{\max} = P_{\max} F_n$;
 P_{cp}, P_{\max} ;
 () .

4.2.

4.2 –

	[q], / ²	
	q_{cp}	q_{max}
	4...12	7...20
	6...15	20...42

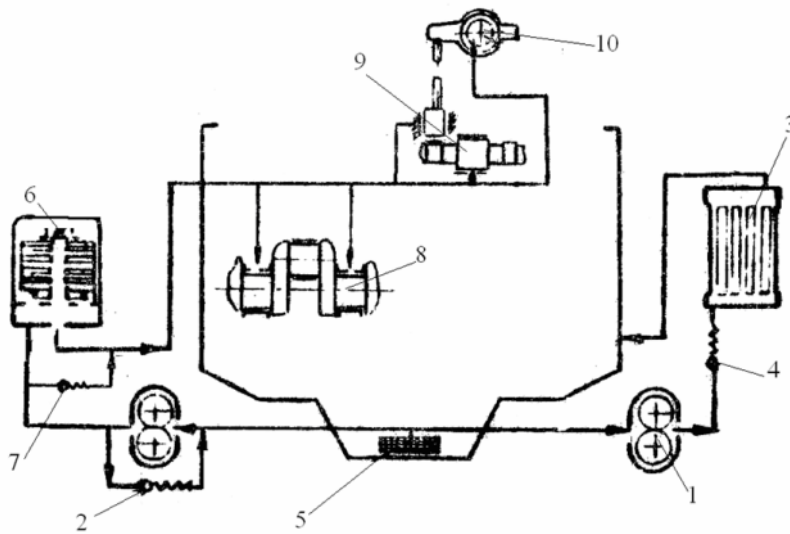
4.8

4.8.1 , / :

$$Q = (0,015...0,030)Q_o, \quad (4.41)$$

$$Q_o = \frac{h G}{3600} -$$

1, / ;
 h – , / ;
 G – , / .



1 – ; 2 – ; 3 – ; 4 –
 ; 5 – ; 6 – ; 7 –
 ; 8 – ; 9 – ; 10 –

4.3 – :

4.8.2 ,³/ :

$$V = \frac{Q}{\rho \cdot C \cdot \Delta t}, \quad (4.42)$$

$$\begin{aligned} \rho &= 900 \text{ kg/m}^3; \\ C &= 2,094 \text{ kJ/(kg} \cdot \text{)}; \\ \Delta t &= 10 \dots 15^\circ \text{C} \end{aligned}$$

4.8.3

$$: V'_p = 2V .$$

, $^3/$:

$$V_P = \frac{V'_P}{\eta}, \quad (4.43)$$

$$\eta = 0,8 - ,$$

$$V_P = \frac{\pi D_o}{60} \cdot h \cdot b \cdot n , \quad (4.44)$$

$$\begin{aligned} D_o &= z \cdot m - , ; \\ m &= 0,003 \dots 0,006 - ; \\ z &= 6 \dots 12 - ; \\ h, b &- , ; \\ n &- , / . \\ & z, m - \end{aligned}$$

$$h = 2m, .$$

$$b = \frac{30V_P}{\pi \cdot z \cdot m^2 \cdot n} . \quad (4.45)$$

$$N = \frac{V_P \cdot P \cdot 10^3}{\eta}, \quad (4.46)$$

$$P = 0,3 \quad /^2 - ;$$

$$\eta = 0,85 \dots 0,9 - .$$

$$N = 0,14 \dots 0,45 .$$

4.9

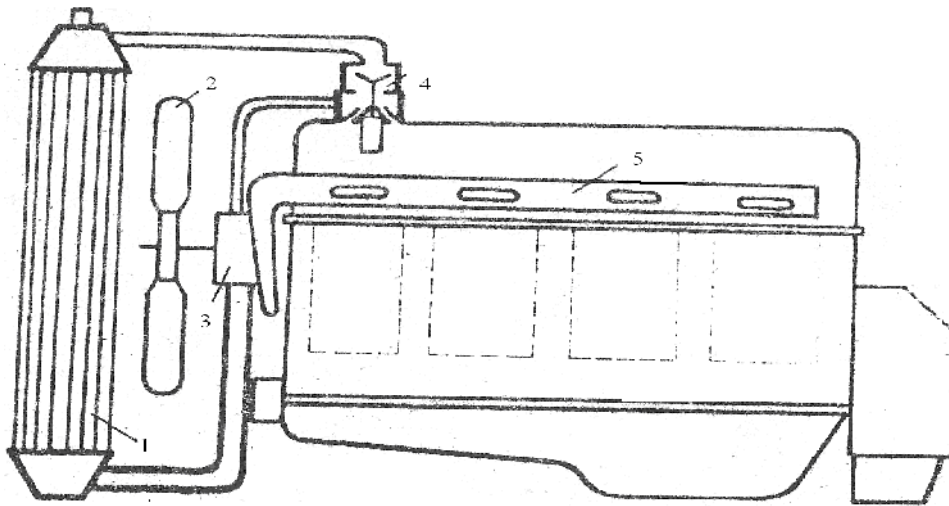
4.9.1

) , / :

$$Q = (0,20 \dots 0,30) \cdot Q_0 ; \quad (4.47)$$

) , / :

$$Q = (0,12 \dots 0,25) \cdot Q_0 .$$



1 - ; 2 - ; 3 - ; 4 - ; 5 -

4.4 -

4.9.2 , ²/ :

$$V = \frac{Q}{\rho \cdot C \cdot t} , \quad (4.48)$$

$\rho = 1000 \quad /^3 - ;$

$C = 4,187$ / (·) – ;
 $t = 5...15^{\circ}$ – .

4.9.3 , $^3/$:

$$V = \frac{V}{\eta}, \quad (4.49)$$

$\eta = 0,8...0,9$ – .

4.9.4 , :

$$N = \frac{V \cdot 10^3}{\eta}, \quad (4.50)$$

$= 0,035...0,15$ / 2 – ;

$\eta = 0,7...0,9$ – .

$$N = (0,007...0,014)N_e, \quad .$$

4.10

4.10.1 , $^3/$:

$$V = \frac{Q}{\rho \cdot C \cdot t}, \quad (4.50)$$

Q – , , / ;

$$\rho = \frac{P_o}{R T_o} - , / ^3;$$

$P_o = 1,013 \cdot 10^5$ / 2 – ;

$R = 287$ / (·) – ;

$T_o = 273 + t$ – ;

$C = 1$ / (·) – ;

$t = 6...12^{\circ}$ – .

4.10.2 , :

$$D = 1,3 \sqrt{\frac{V}{W}}, \quad (4.51)$$

$$W = 13 \dots 30 \quad / - \\ D = 0,3 \dots 0,7 \quad .$$

4.10.3 ,
/ ∴

$$n = \frac{60 \cdot U}{\pi \cdot D}, \quad (4.52)$$

$$U = 80 \dots 125 \quad / - \\ .$$

4.10.4 , -
, ∴

$$N = \frac{V \cdot}{\eta \cdot 10^3}, \quad (4.53)$$

$$= 800 \dots 1000 \quad / ^2 - ;$$

η - ∴

- $\eta = 0,3 \dots 0,4$;

- $\eta = 0,3 \dots 0,4$.

$$N = (0,07 \dots 0,14) N_e , .$$

5.1

, , -
 . , -
 , , -
 () - , -
 .
 - , -
 - , (, -
) , , , ; ; -
 . ; -
 - , , -
 , (, , -
) , (, , , -
 , ,) -
 . , -
 , -
 .
 : , , -
 .

5.1.1

- , :
 , , -

25...50 , 4 ; 1
 – , –
 (, , ,),
 (.)
 (2):
 – , , –
 ().

5.1.2

, , –
 () . –
 , : –
 . –
 , –
 , –
 , .
 , :
 .

5.1 –

/		N	n	ε	n_1	n_2	λ	D\S
1	2	3	4	5	6	7	8	9
1	-968	29,5	3550	7,41	1,35	1,25	3,6	
2		45	3500	7,5	1,36	1,26	3,7	
3	-969	29,4	4200	7,2	1,36	1,26	3,6	76\66
4		32	4500	7,4	1,37	1,27	3,7	78\68
5		22	5600	9,7	1,3	1,23	3,5	76\71
6		25	5500	9,9	1,35	1,25	3,4	82\71
7	-2106	60	5600	9,0	1,37	1,26	3,8	76\80
8		56	5400	8,5	1,36	1,27	3,7	79\80

” . , ” -

5.1.4

— ;
— ;
— ().

— ;
— ;
— ;
— (). , , ,

— ;
— ();
— ;
— .

(2.105-95, 3008-95) -

, .

— ;
— ”
08-29. .107.00.000. ,

” ” , -

(1-).

(-), . , -
 , , -
 , . -
 . -
 , -
 . -
 () . ,

5.2

2.105-95. -
 4 - -
 2, 2 (2.104-68), -
 , 2 , -
 . 2.105-95 -
 (2.004-88). 2,5 , (- 14), -
 , -
 (, , ,). -
 .

.....

”

.....

: _____ (-108)

58 . 5700 / . 8,5

-

- 1.
- 2.
- 3.

,

,

-
-

	%	-	-	-
1.	30	11.11.08		
2.	30	11.01.09		
3.	30	11.03.09		
4.	10	11.04.09		

11.09.08
22.04.09

_____ , , , ,

(-968)

”

”

“

”

08-29. .016 .00.000

. . . , . . .

()

” ” _____ 2009 .

. -05 . .

. .

()

” ” _____ 2009 .

2009

5.2.1

... (2.105-95) ...
(, 2, . .).
... (3.1, 3.2, 3.2.1, 3.2.2, 3.2.2.1 . .).
... : “...
3”.
...
) ...
) ;
) 1)
; 2)....;
)

5.2.2

:

) ;
)
 (R,);
)
 (-2 ,);
)
 (100 , 2);
)
 ,
 (1,5; 1,75; 2);
)
 : 100 ± 5 ;
)
 (); (/);
)
 (9- , 4-);
 (3,4,5-);
 (20);
 (21) (XXI
);
)
 2.316-68,
 (: ON, OFF),
 , (“ ”);
) :

$$\frac{ABC}{DE} = ABC / DE ;$$

“x” “*” (2.004-88).
) :
 - ();
 - “ ” (“ ”,
 “ ”);
 - : “ ”, “ ”,
 - “ 2001 ”;

— : “ ” (,
 —);
 — ,
 — 5 / .”, “ = 5 / .”, “ ”
 5° ”);
 — <, >, 0, , %, sin, cos, tg, log
 “ ”, “ ”, “ ” . . ;
 — (, ,) -
 .

5.2.3

— ,
 .
 ()
 1494-77.
 .
 ,
 “ ”
 .
 ,
 .
 ,
 .
 ,
 .

$$M = - G^{1,5}, \quad (5.1)$$

— ;
 G—

$$I = \frac{U}{R} [A]. \quad (5.2)$$

$$I = \frac{220}{100} = 2,2 (A).$$

“X”.

“... (5.2)”; “... (5.7, ..., 5.10)”.

5.2.4

(3.1), : “... 3.1.” 3.2, ”.

” ” (. 1.3). (...)

2.105-95, 3008-95 , ”

...” – ,, ...”.

(3).

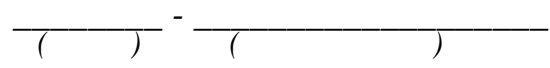
” : “ 3.5 –

，
 。
 ，
 ()，)
) - ;) -

3.2 - () ()
 3.2” ()。 “

5.2.5

90°
 2.105-95 3008-95



3.1”； “ ... 3.1 - 3.5” : “ (3.6).
 ” (2.4)

: “ 4.2 – ”.

-8

“ / ”

().

(,).

“ 4.2”

5.2.6

(40×185),

–

2 (15×185).

, 2

-

5.2.7

” ”

,

,

,

(,

, ,)

-

7.1-84

3582-97.

[...],

().

1.

.-

(1. , 1987. – 216 .)

2.

, .-

(2.

/ . . ,- .: , 1991. – 240 .)

3.

(3.

. 98-197.)

5.2.8

(.

),

:

–

;

–

;

— ;

— ;

— (, ,

, ,

, , -

, , , -

); (-

— (-

);

— ;

— ;

— () .

, , , -

. , -

, ,

.

: .5” (-

“...”, „...”; (,) .

“ ”

, , , , , , , , , , , , , .

.

I O.

,

(,), —() .

() ,

,

—

, , : “ .3 - ”; “ .5 -

” . .

,

” (, 4),

5.3

1 08-29. .201.02.000 .

4 2 () 2 (2.106-68)
2.104-68.

— ;
— (55 ×185);
— (, 1).
(, 2 3), 1

... ” .
____ . .
” ” _____ 200_ .

1. ’

2. — — .

3. — .

4. ,

, , ,
;
:

- ;
- " ;
- " ;

- 14.301-83;
- 14.305-93 - ;
- ;
- ;

5. -
5.1. ;

5.1.1. :
-
-

5.1.2. :
:

- , ;
- ;
- ;

5.1.3.

5.1.3.1.

- , ;
- ;
- ;
- 10 ;

5.1.3.2.

, (),
80%.

6.

6.1.

- ;
- ;
- ();
- 0 2. 0-6

7.

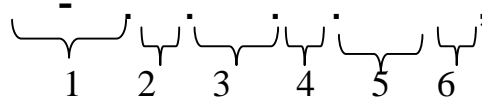
8.

9.

10.

5.3.1

:



1 / - / - (08-29.);

2 /.../ - (-);

3 /XXX/ - ;

4 /XX/ -

(01 99);

5 /XXX/ - , , (, - 9), 01 99);

6 /XX/ - (, , , 3, 3, 5).

:

08-29. .201.00.000 - (-)

201;

08-29. .201.00.000 - ;
 08-29. .201.00.000 - ;
 08-29. .201.04.000 - ,

, ;
 08-29. .201.04.000 - (-);

08-29. .201.04.100 - , , , ;

08-29. .201.04.100 - ;
 08-29. .201.00.001 - , ;

08-29. .201.04.001 –

;

08-29 .201.04.101 –

.

5.4

(, INTERNET-)

5-10 ()

